



**CALIFORNIA STATE SCIENCE FAIR
2003 PROJECT SUMMARY**

Name(s) Ryan J. Liljstrom	Project Number S1217
Project Title Numerical Fulcrums and Prime of the Form k^2+1	
<p style="text-align: center;">Abstract</p> <p>Objectives/Goals It has not yet been proven in mathematics if there exists an infinite number of primes of the form k^2+1, where k is a positive integer. With the exception of the integer two, any prime of the form k^2+1 must also be of the form $4n^2+1$, because k^2+1 must be odd so k must be even and $k^2+1=(2n)^2+1=4n^2+1$.</p> <p>Results This project deals with a special type of integers called "numerical fulcrums" and proves that the list of all positive integers which are not numerical fulcrums are integers n which yield a prime number in the function $4n^2+1$.</p> <p>Conclusions/Discussion Numerical fulcrums could quite possibly be used some day to help solve the conjecture that there exist an infinite number of primes of the form k^2+1.</p>	
Summary Statement Results from this project prove that numerical fulcrums, defined by the student, are related to the set of prime numbers of the form k^2+1	
Help Received	